



# Epileptic Seizure Detection using EEG data

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## Motivation:

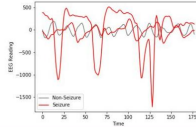
- Epilepsy afflicts 200,00 people in the US every year, making it the fourth most common neurological disorder.
- The primary method for Epilepsy diagnosis is by reading EEG data- a process that is both expensive and fraught with inter-doctor and inter-patient differences.
- Automating this process can help make an accurate diagnosis of epilepsy in a resource-limited setting.
- This project aims to build such a system using Deep Learning methods on electroencephalogram (EEG) data.

## Data:

- Data obtained in Adrzejak et.al. Indications of nonlinear deterministic and finite dimensional structures in time series of brain electrical activity
- 1-dimensional time-series data of 11500 observations.
- Each sample is a 1 second block of EEG recordings, split into 178 data points. The category label classifies each observation as a recording of seizure activity ('positive') or not ('negative').
- Distribution of labels:**

	Positive	Negative
Occurrences	2300	9200
Mean	-4.729	-8.396
Avg. Variance (across time)	115702	4735

- For certain samples, the difference between a positive and negative EEG is not obvious



## Model:

### Model Architecture:

- 1D Convolutional Neural Net with L convolutional, ReLU, and MaxPool layers, followed by a fully connected layer
- Adam Optimizer with a learning rate of 0.009
- Trained using mini-batches of size 64
- Loss function: softmax cross entropy with logits

$$J(\theta) = -\frac{1}{m} \sum_{i=1}^m (1 - y^{(i)}) \log(1 - h_{\theta}(x^{(i)})) + y^{(i)} \log(h_{\theta}(x^{(i)}))$$

$$= -\frac{1}{m} \sum_{i=1}^m \sum_{j \in \text{classes}} 1\{y^{(i)} = j\} \log p(y^{(i)} = j | x^{(i)}; \theta)$$

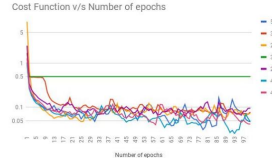
### Hyperparameter Search:

- Random coarse search over number of layers and number of channels for each layer
- Number of layers - 2 to 5
- Number of channels - 4 to 16

### Optimal values found:

Number of layers: 4  
Number of channels in each layer: 7, 5, 9, 7

## Results:



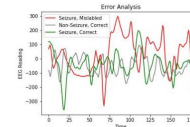
Cost functions for various models. Label indicates the number of convolutional layers. The number of filters at each layer is random between 4 and 16.

	Training Set	Test Set
Observations	10,350	1,150
Accuracy	0.98	0.97
Precision	0.99	0.97
Recall	0.99	0.99

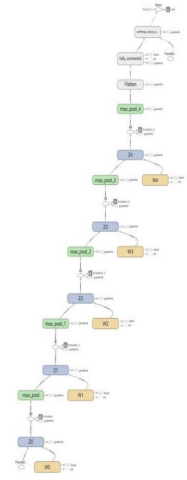
F1 Score on test set- 0.98

## Discussion:

- Model based on 1-Dimensional ConvNets performs better than other traditional machine learning models. eg. SVMs achieve an accuracy of 0.93 on the same task (Nicolaou et al., 2012)
- Despite using raw, minimally-processed input EEG data, the model performance is close to that of a GRNN that classifies hand-crafted features like Shannon Entropy, Energy and Standard Deviation to achieve 100% accuracy. (Swami et al., 2016)
- The system can be useful for other similar classification problems based on EEG brain signals
- Our algorithm correctly classified many seizure examples that resemble a non-seizure example, although it misclassified samples that appear to correspond to the start of a seizure



## Model Architecture:



## Future Work:

- Perform further error analysis specifically to lower False Negative rate.
- Conduct a finer hyperparameter search in the number of filters to use
- Implement an online forecasting algorithm by training NN to recognize signals specific to the start of a seizure

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