

Deep Neural Network Driven Molecular Dynamics Simulation of Graphene

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1. Introduction

Simulation is an important approach for scientific discovery aside from experimental and theoretical methods. In the molecular simulation community, researchers have been facing the efficiency-vs-accuracy dilemma for decades.[1] Classical method such as molecular dynamics (MD) simulation is driven by empirical interatomic potentials. The atom motions are governed by Newton's law which is very fast to compute. The MD method can calculate systems with millions of atoms but lacks the accuracy to replicate real-world properties. On the other hand, the density functional theory (DFT) describes atomic systems much accurately by solving the Schrödinger equation but is very expensive to compute. Thus the DFT calculations are restricted to a few hundred atoms.

This work aims to train a deep neural network model to describe molecular systems with DFT accuracy and MD efficiency. We will exemplify this idea using the popular two-dimensional material graphene in this work.[2] A third-party package DeePMD-kit (DP), is used.[1] DeePMD-kit is a deep learning package for many-body potential energy representation and MD simulation. As shown in **Fig. 1**, *ab initio* molecular dynamics (AIMD) simulation is performed to generate training data with DFT accuracy. The feature extraction and model training is then performed using DeePMD-kit. The classical MD simulation is carried out on the Large-scale Atomic/Molecular Massively Parallel Simulator (LAMMPS).[3]



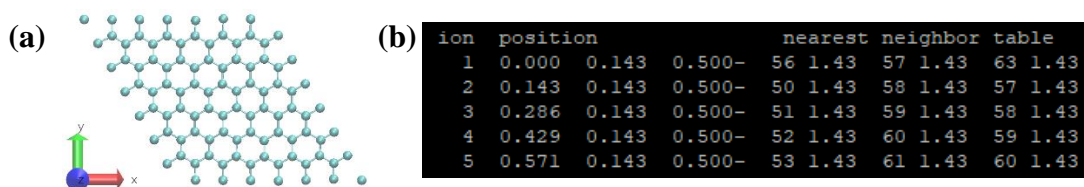
Figure 1. Schematic of the AIMD-DNN-MD workflow

2. Related Work

28 Several frameworks have been developed in recent years to help train neural network models
 29 to describe molecular systems. To name a few, DeePMD-kit (DP),[1] Neuroevolutionary Potential
 30 (NEP),[4] Gaussian Approximation Potentials(GAP),[5] Moment Tensor Potential(MTP),[6] and
 31 QUantum mechanics and Interatomic Potentials(QUIP)[7]. In this work, the DP framework is
 32 selected given to its growing user community and open-source codebase. In addition, the DP code
 33 is GPU optimized, which makes it significantly faster in model training and inference.

34 3. Dataset and Features

35 To generate the AIMD training dataset, a graphene system with 98-atoms is created, as shown
 36 in **Fig. 2(a)**. The Vienna Ab initio Simulation Package (VASP)[8] is used to perform the AIMD
 37 simulation. For simulation setup, the time step is 0.5 fs ($1 \text{ fs} = 10^{-15} \text{ s}$), and the temperature is 300
 38 K. The canonical ensemble (NVT) is used where the system temperature is controlled by a thermal
 39 bath. The projector augmented wave pseudopotentials are employed to describe the interactions
 40 between the valence electrons and frozen cores. The generalized gradient approximation
 41 exchange–correlation functional of Perdew–Burke–Ernzerhof. Only the Γ -point was used for k -
 42 space sampling. A total of 1000 steps and 0.5 ps ($1 \text{ ps} = 10^{-12} \text{ s}$) simulation is performed to extract
 43 the atomic trajectory, force and energy. The atomic trajectories are used as feature values and the
 44 force and energy are the target values.



45
 46 Figure 2. (a) A graphene system with 98 atoms is used. (b) A snippet of the training data.

47 The generated data from the AIMD simulation need to be pre-processed by the DP plugin
 48 *dpdata*[1] before feeding into the deep neural network. The following information is needed for
 49 the model training: atom type, box boundary, coordinate, force and system energy. A snapshot, or
 50 a frame of the system, contains all these data points for all atoms at one time step. In total 1000
 51 snapshot is taken from the AIMD simulation. For each snapshot, information such as atom
 52 trajectory, nearest neighbor list and system energy is provided for the training. A snippet of the
 53 training data is shown in **Fig. 2(b)**.

54 4. Methods

55 The DP framework has three major components. The first part is a library that computes the
56 feature vectors, forces and virial. The second part is a TensorFlow API which handles the model
57 training and testing. The last part is an API to classical MD programs such as LAMMPS. The deep
58 neural network is implemented using standard tensor operations. The force and virial terms can be
59 calculated based on the system energy with respect to atomic positions and box tensors.[1] Adam
60 optimization is used in training. Root mean square error (RMSE) is selected as the loss function.
61 The training, validation and test dataset have proportions of 60%, 20% and 20%, respectively. As
62 suggested by the DP document, a three-layer neural network with 25, 50 and 100 neurons in each
63 layer is used. The start and end learning rate and decay rate are 1×10^{-3} , 3.5×10^{-8} and 5000,
64 respectively. The training dataset is composed of three data systems, while the validation data set
65 is composed of one data system. The number of atoms, batch size, the number of batches in the
66 system, and the probability of using the system are all shown on the screen as shown below. The
67 last column presents if the periodic boundary condition is assumed for the system.

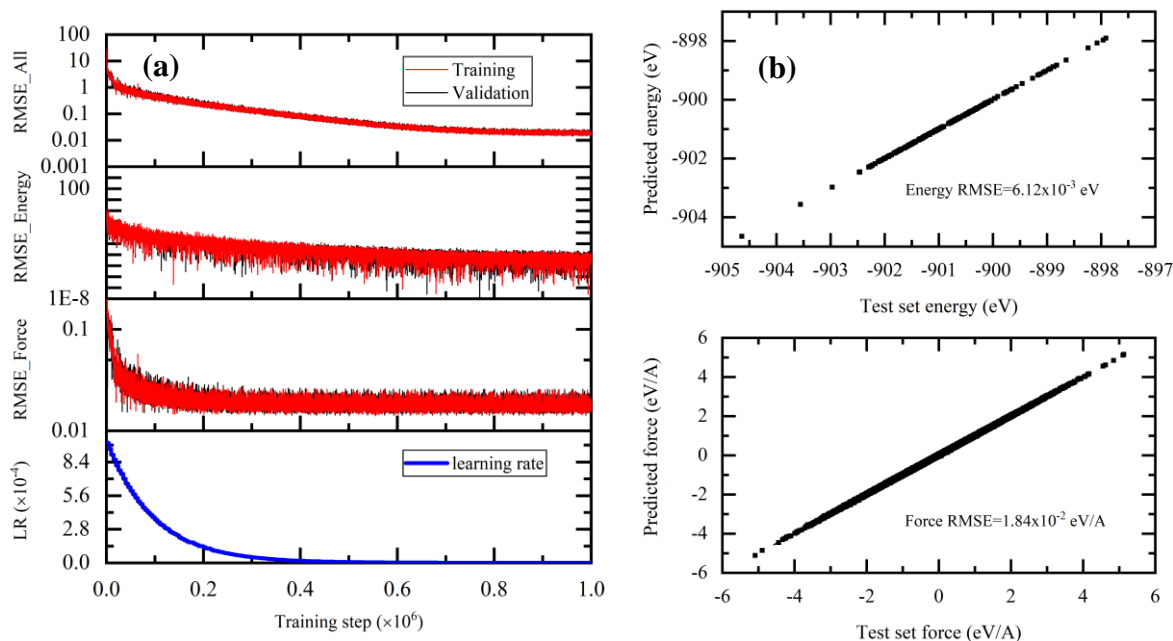
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DEEPMO INFO ---Summary of DataSystem: training-----  
DEEPMO INFO found 3 system(s):  
DEEPMO INFO          system natoms bch_sz n_bch prob pbc  
DEEPMO INFO          ./deepmd_data/0      98      1    200 0.333 T  
DEEPMO INFO          ./deepmd_data/1      98      1    200 0.333 T  
DEEPMO INFO          ./deepmd_data/2      98      1    200 0.333 T  
DEEPMO INFO -----  
DEEPMO INFO ---Summary of DataSystem: validation-----  
DEEPMO INFO found 1 system(s):  
DEEPMO INFO          system natoms bch_sz n_bch prob pbc  
DEEPMO INFO          ./deepmd_data/3      98      1    200 1.000 T  
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69 Once the model is trained, the neural network parameters are frozen and the model is
70 compressed. The compression step brings negligible loss to the inference accuracy but greatly
71 speedup the inference performance in MD simulation. The speedup can be more than 10 times on
72 both CPU and GPU devices. In addition, model compression can significantly reduce memory
73 consumption, which can be 20 times less memory usage on the same hardware.

74 5. Experiments/Results/Discussion

75 The model is trained for 1,000,000 steps and the training results are shown in **Fig. 3(a)**. From
76 top to bottom, **Fig. 3(a)** displays the RMSE for the overall error, decomposed error for energy,
77 decomposed error for force and the learning rate decay schedule, respectively. It can be observed
78 that the RMSEs decrease monotonically during training for both training and validation datasets.

79 The trained model is tested on the reserved test dataset and the predicted force and energy values
 80 are shown in **Fig. 3(b)**. The x -axes are ground truth generated from AIMD simulation and the y -
 81 axes are the predicted values. The inference results are distributed in the diagonal direction, which
 82 indicates high prediction performance.



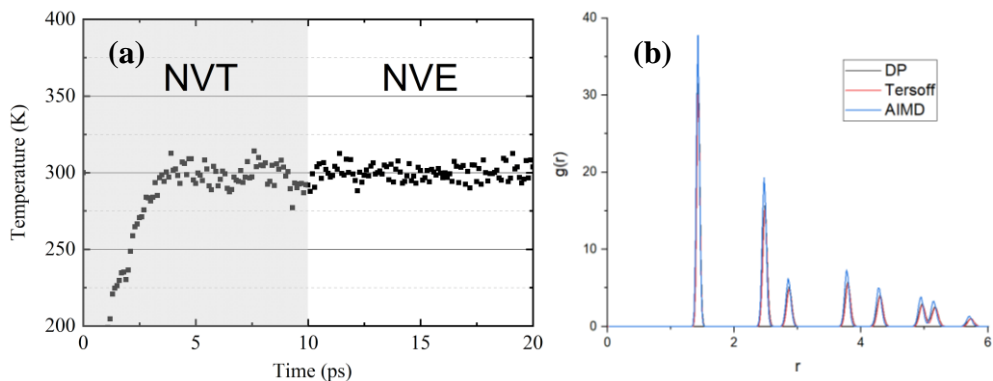
83
 84 Figure 3. (a) Training loss with steps. (b) Model inference on system force and energy.

85 Next, the trained DP model is deployed in LAMMPS to drive the classical MD simulation
 86 using LAMMPS. First, the trained model is used to test the structural stability of the system. The
 87 relaxed graphene structures using the DP model are shown in **Fig. 4**. The displayed graphene
 88 structure is not entirely flat, which is expected due to the ripples in the cross-plane z -direction.
 89 Next, the DP model is used to test the thermal stability of the system. The system temperature
 90 under NVT and NVE ensembles is shown in **Fig. 5(a)**. After 10 ps NVT calculation, the system is
 91 fully relaxed under NVE condition for another 10 ps without temperature or energy controls. It
 92 can be observed that the system temperature is very stable under NVE, which indicates good
 93 thermal stability. Lastly, the radial distribution functions (RDF) are calculated to check the carbon
 94 atom distances described by DFT, DP and Tersoff empirical potential[9] respectively as shown in
 95 **Fig. 5(b)**. The DP model can accurately replicate the RDF profile of those generated from the DFT
 96 calculation.



97

98 Figure 4. Atomic configuration of the graphene system after relaxation with deep potential.



99

100 Figure 5. (a) System temperature under NVT and NVE ensembles. (b) Radial distribution
101 function calculated by AIMD, DP and Tersoff potential, respectively.

102 6. Conclusion/Future work

103 In this work, a neural network based atomic potential is developed to describe the 2D graphene
104 system with DFT accuracy and classical MD efficiency. The trained model can accurately predict
105 the force and energy of the graphene system at a given temperature. Thermal stability and radial
106 distribution function are calculated to verify the validity of the generated model. In the future,
107 more training data can be generated using AIMD to train a more comprehensive model that can
108 drive the MD simulation under different conditions such as temperature, strain, and surface defects.

109 7. Contributions

110 J. Z. is the sole contributor to this work. The author acknowledges the valuable discussions with
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112 University, and Linfeng Zhang from DeepModelling Community.

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